

Pavement Evaluation 2019



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# Joint Pursuit: Detecting Weak Joints Using TSD Measurements by Basis Pursuit

By

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# Outline

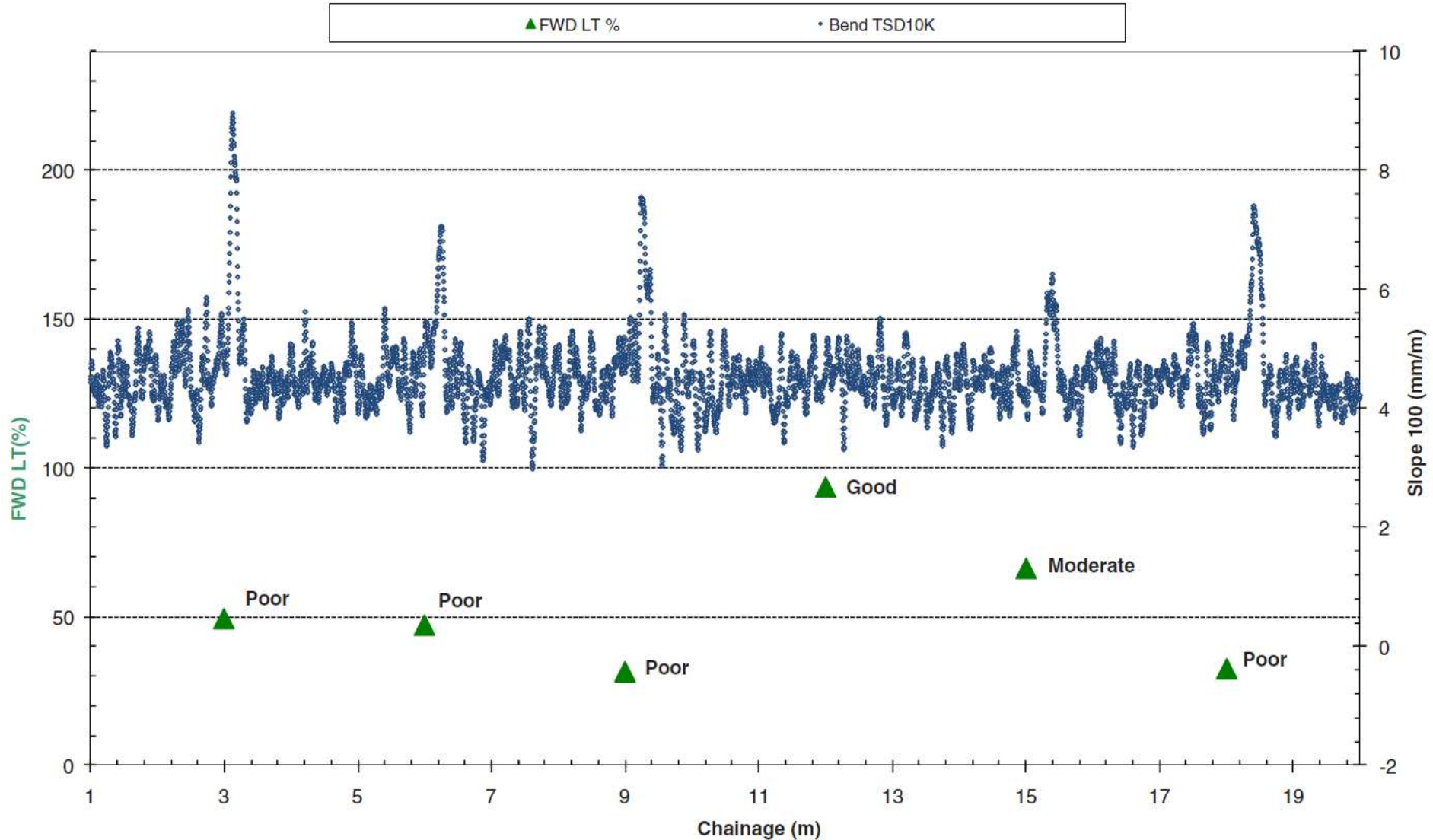
- Introduction
- Basis Pursuit
- Results
- Further Improvements

# Introduction

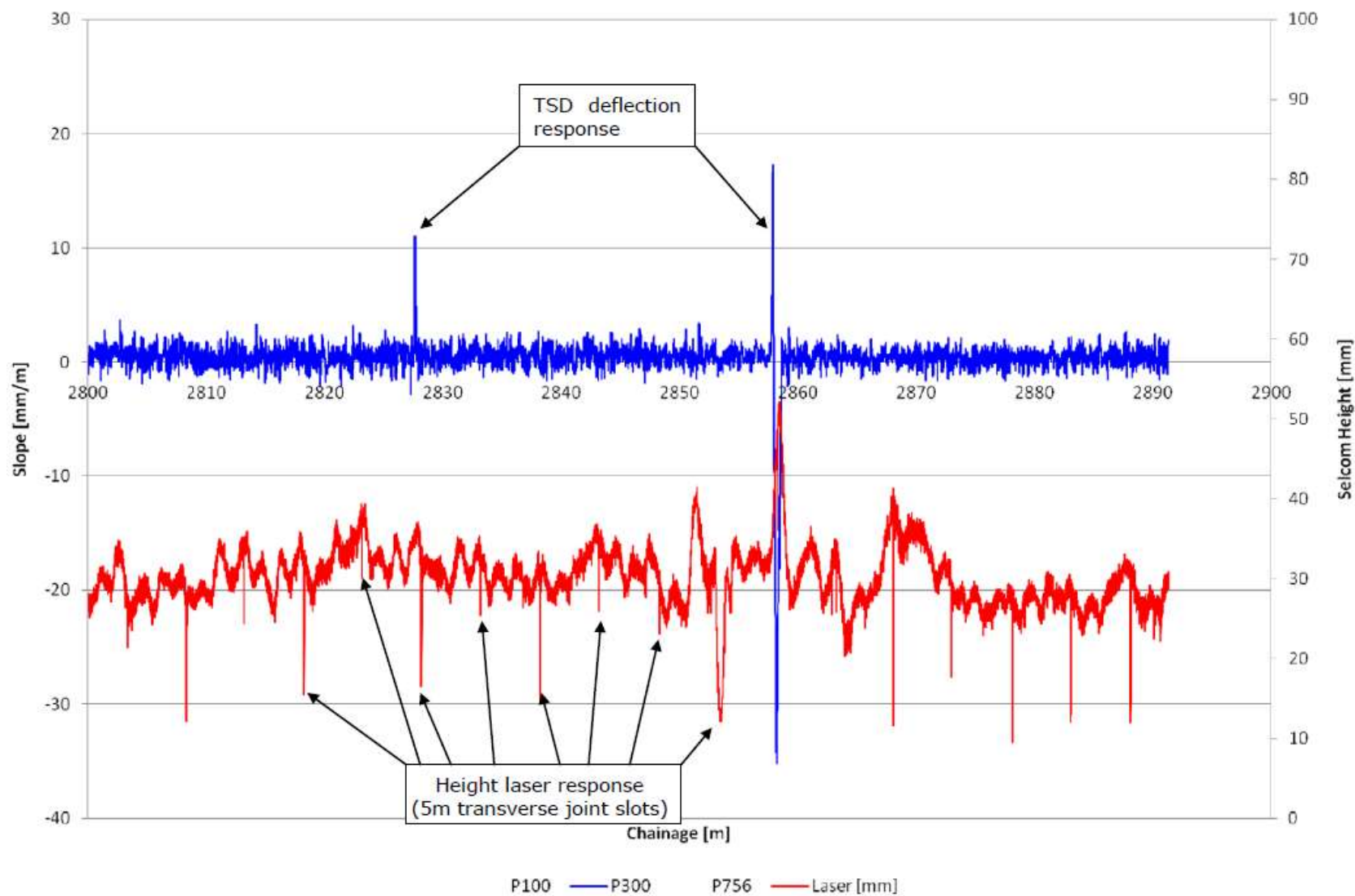
- TSD has been extensively used for flexible pavement structural evaluation
- Rigid pavements have been harder to assess:
  - Low deflections are an issue relative to device accuracy
  - Joint evaluation requires higher data resolution (~ 1m)
- Limited research on joint evaluation:
  - SHRP2 R06(F)
  - United Kingdom
  - Wavelet analysis (Katicha et al. 2014,2016)



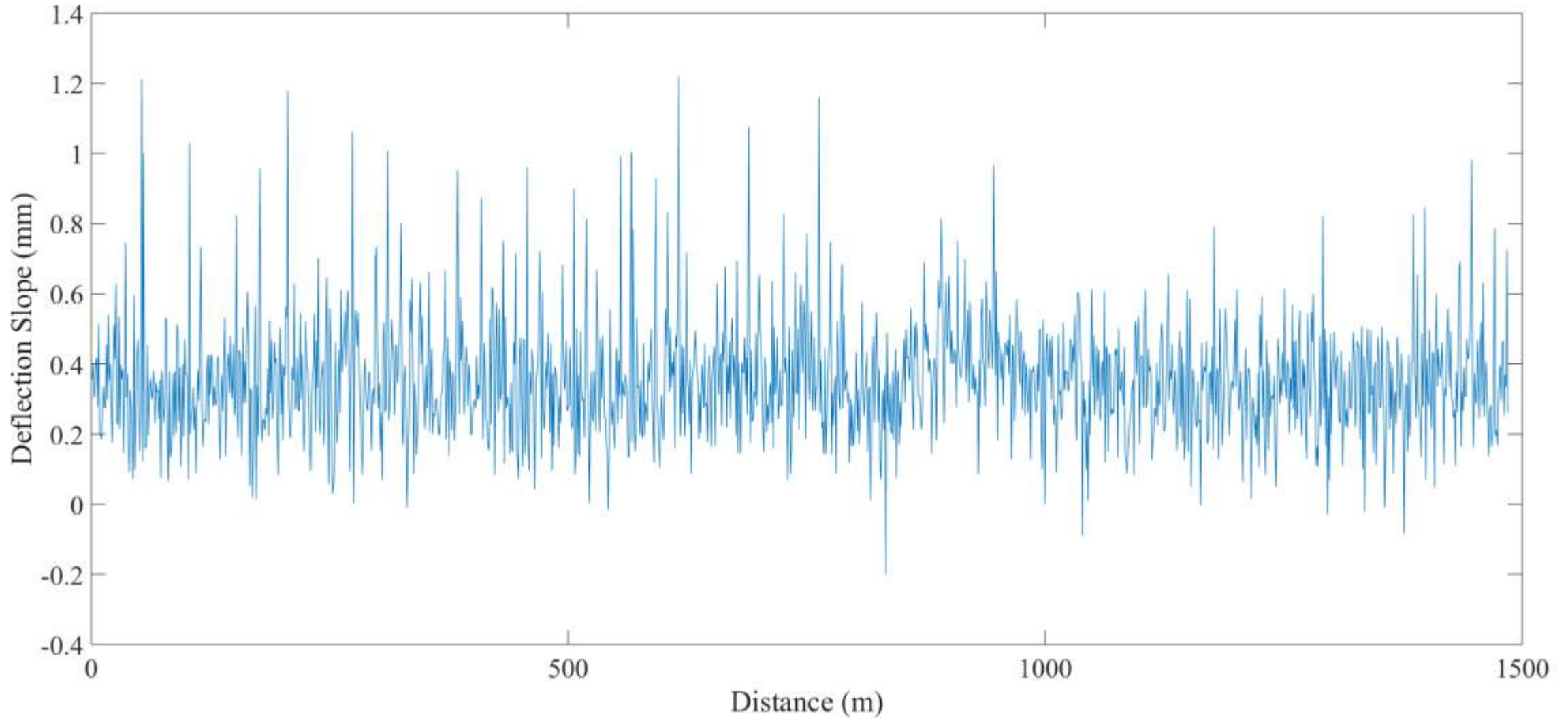
# Introduction – Joints LTE



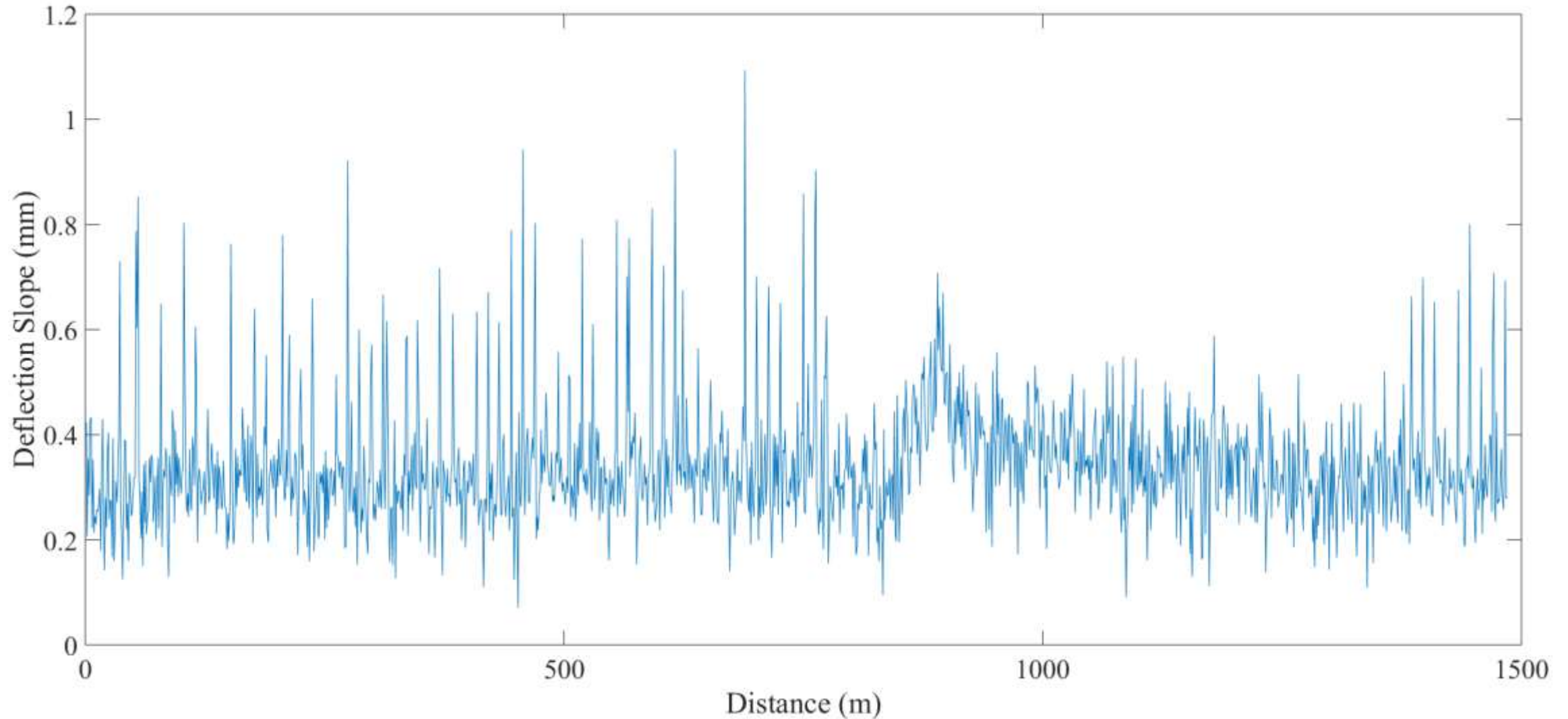
# Introduction – Joints LTE



# Introduction – Typical TSD Measurements



# Introduction – Repeated Measurements



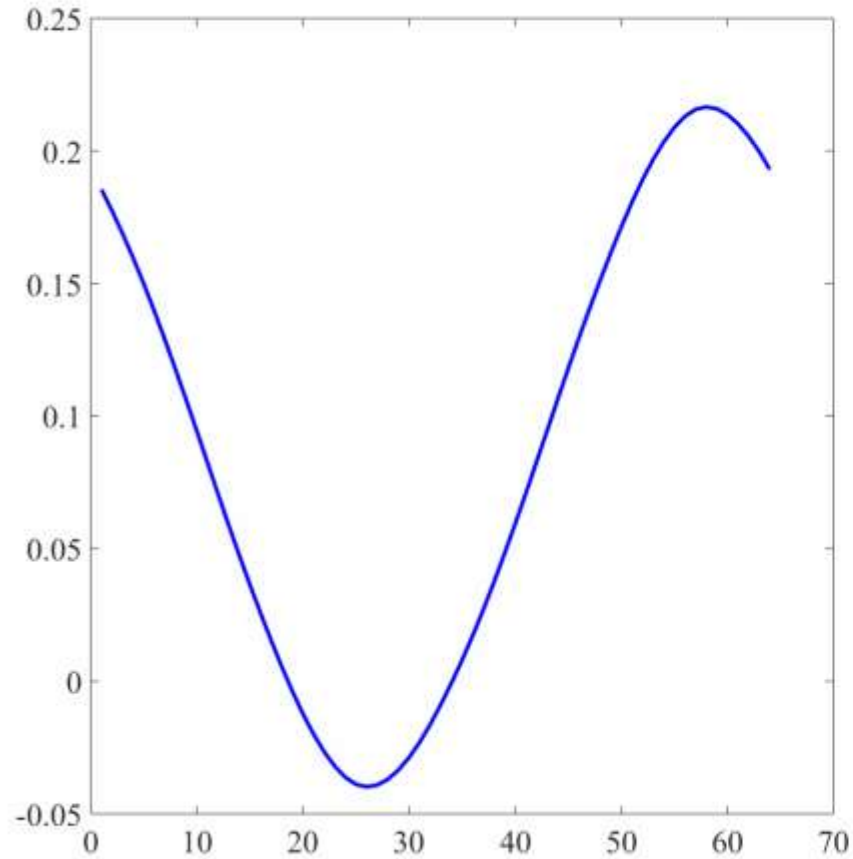
# Basis Pursuit - Overview

- Help identify weak joints
  - Fast
  - Statistical balance between wrong identifications and missed identifications
  - Standard procedure (more science, less art)
- Key idea
  - Decompose TSD measurements into sum of simple features
  - Weak joints have specific geometric feature

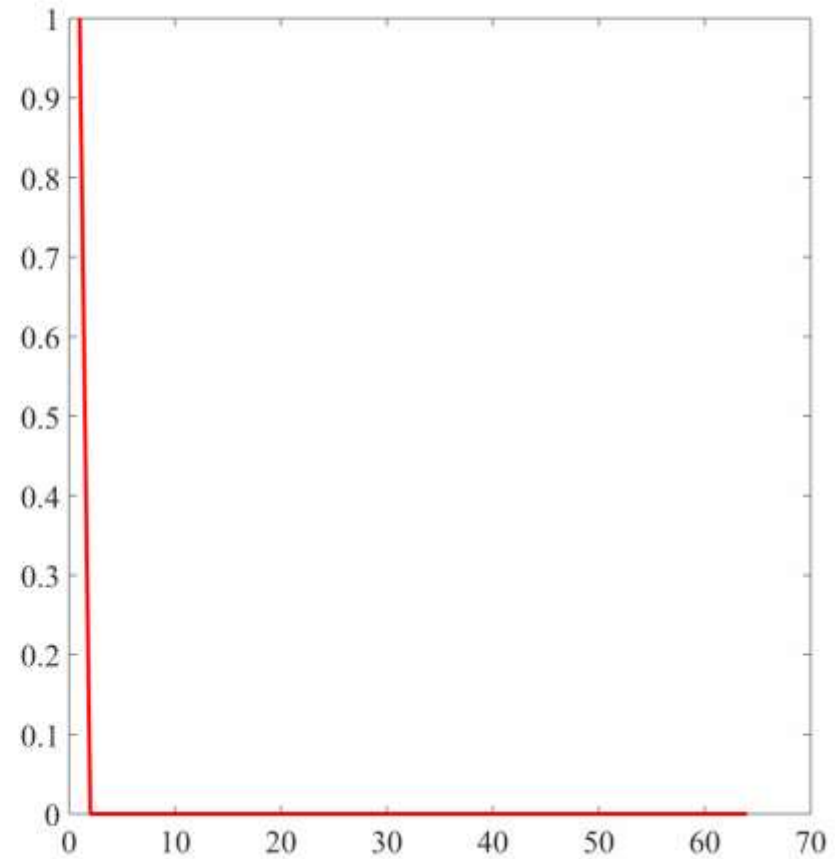


# Basis Pursuit - Features

## Wavelets



## Joints

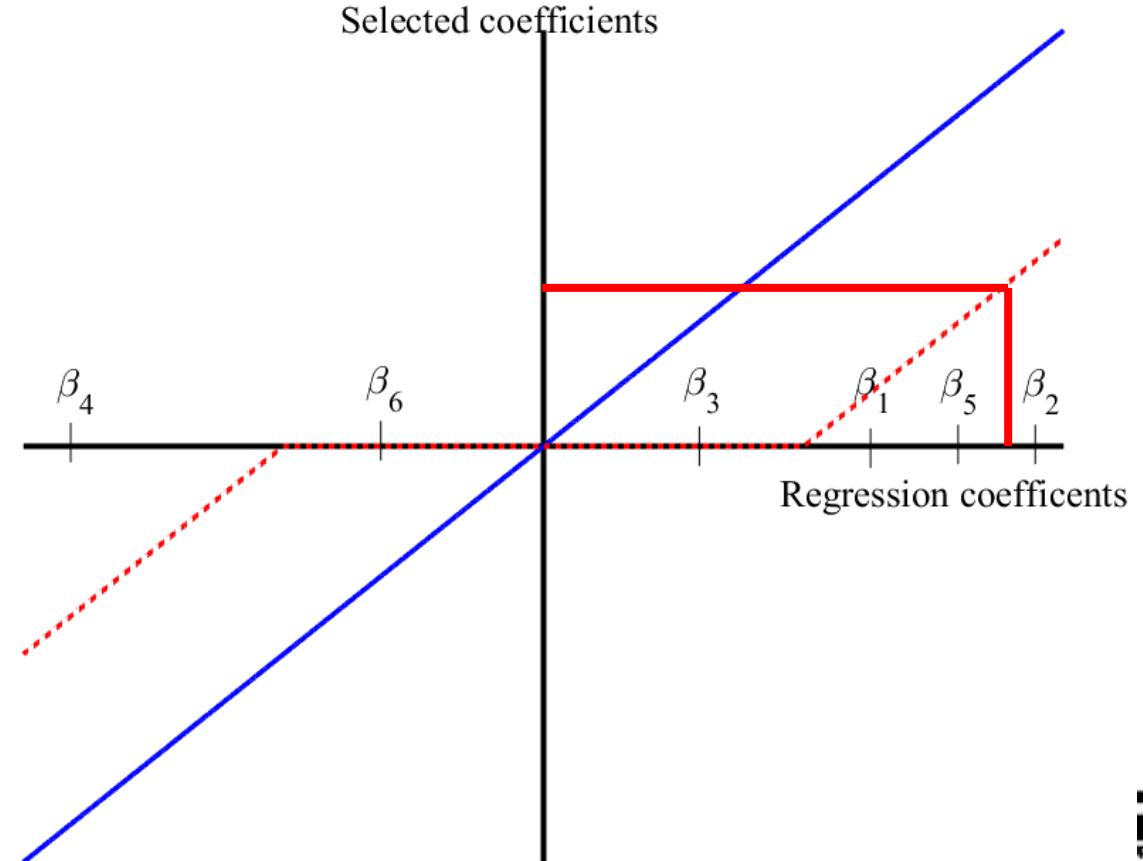
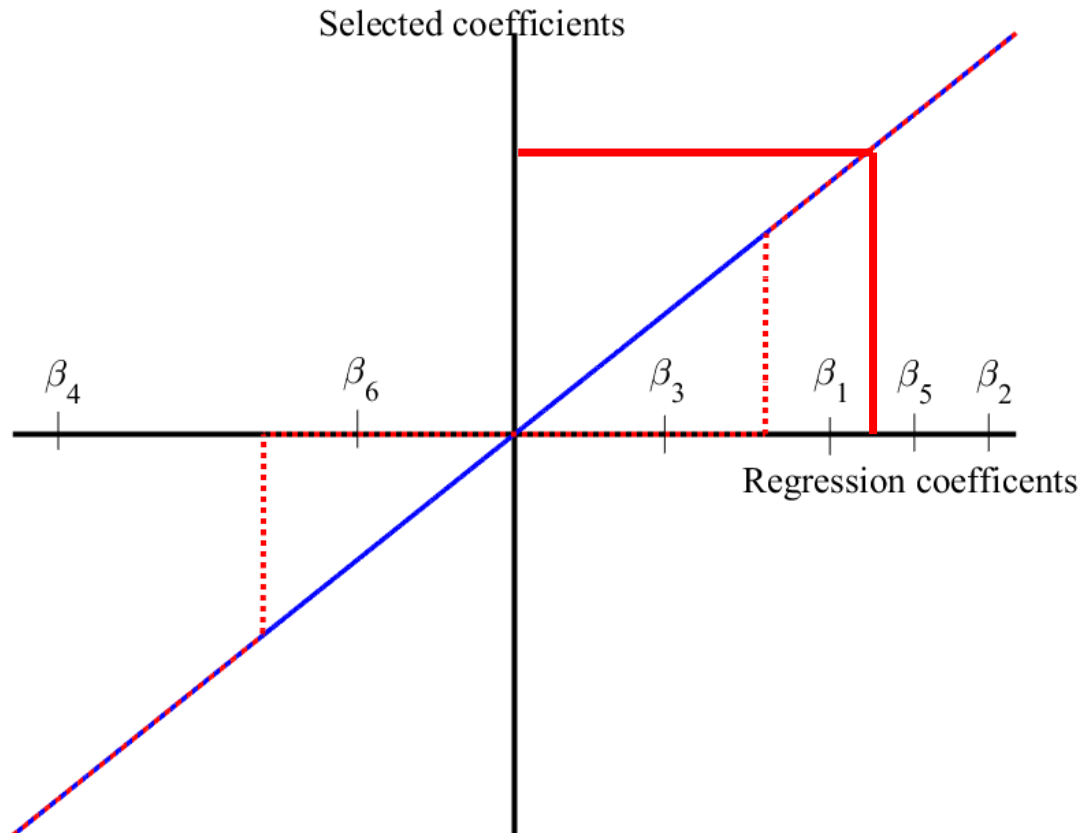


# Basis Pursuit – Feature Selection

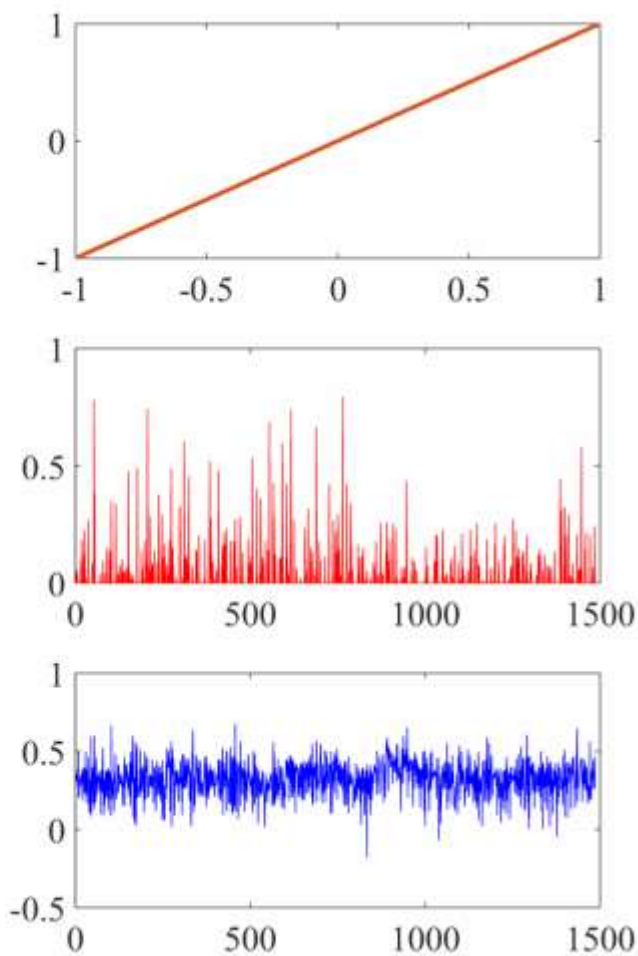
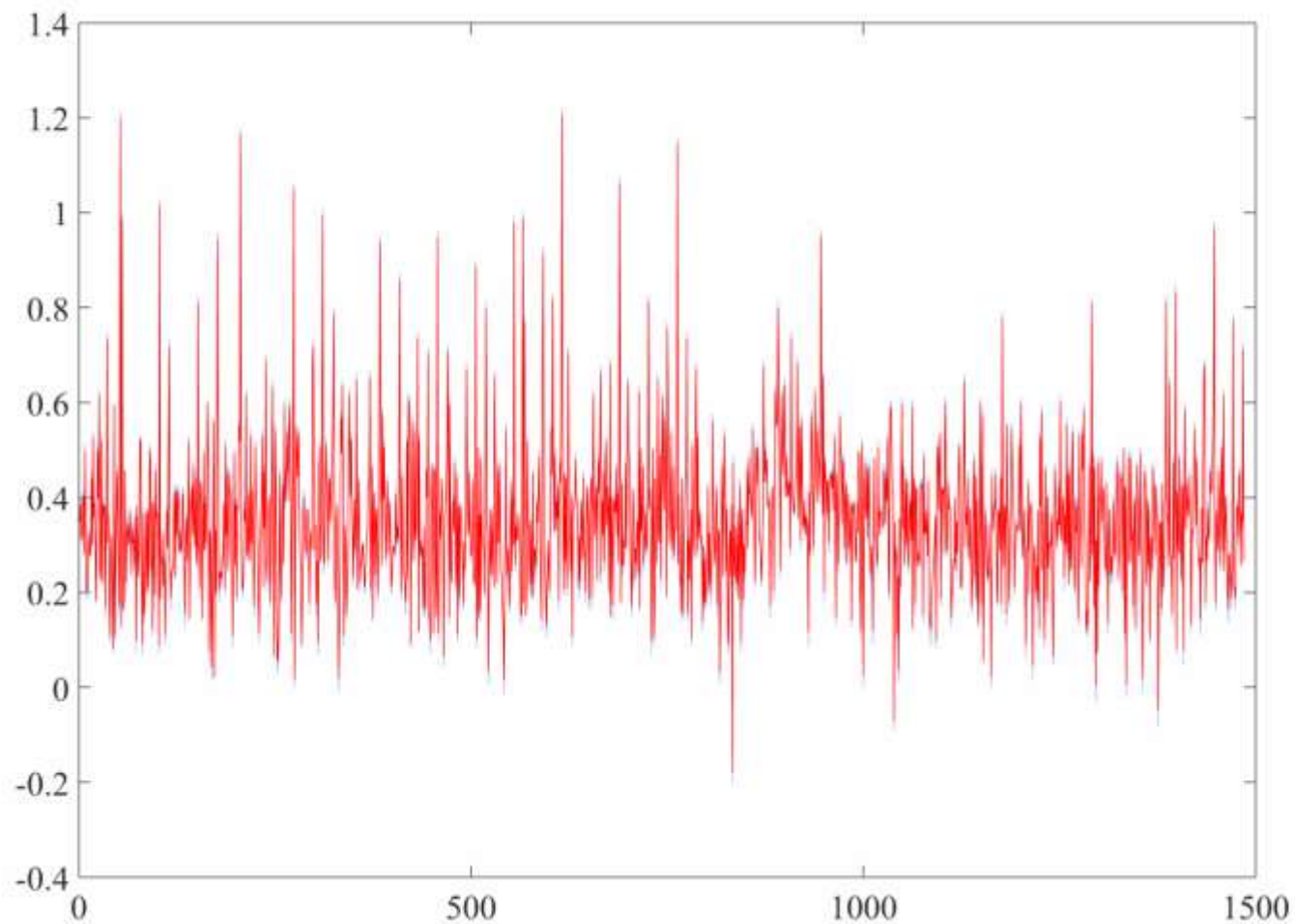
- How are features selected
  - Have twice as many features as measurements
- Best subset selection
  - Lowest number of features that works
  - Very hard (impossible) to solve
- Basis Pursuit selection
  - Lowest sum of absolute values of features coefficient
  - Very easy to solve (as easy as linear regression)

# Basis Pursuit – Geometric Interpretation

- Fit feature to measurements by regression (y are the measurements and x are the features)

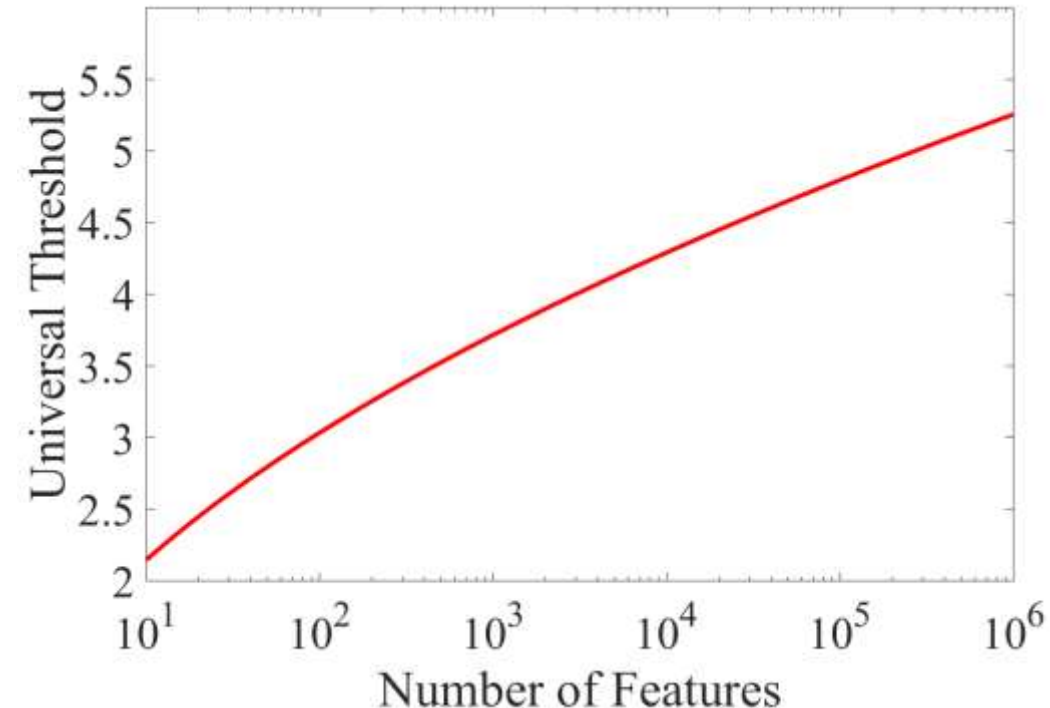


# Results – Threshold Effect

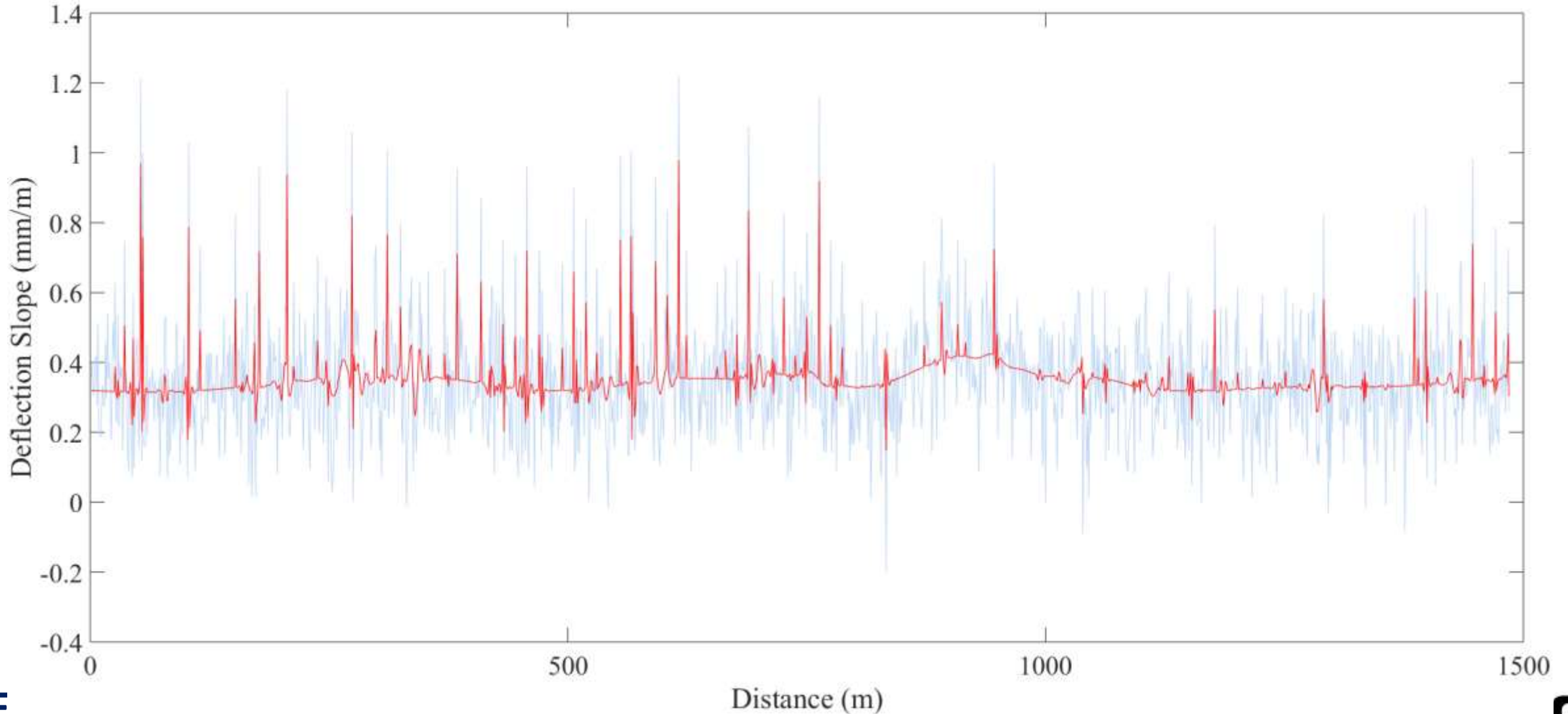


# Results – Threshold Selection

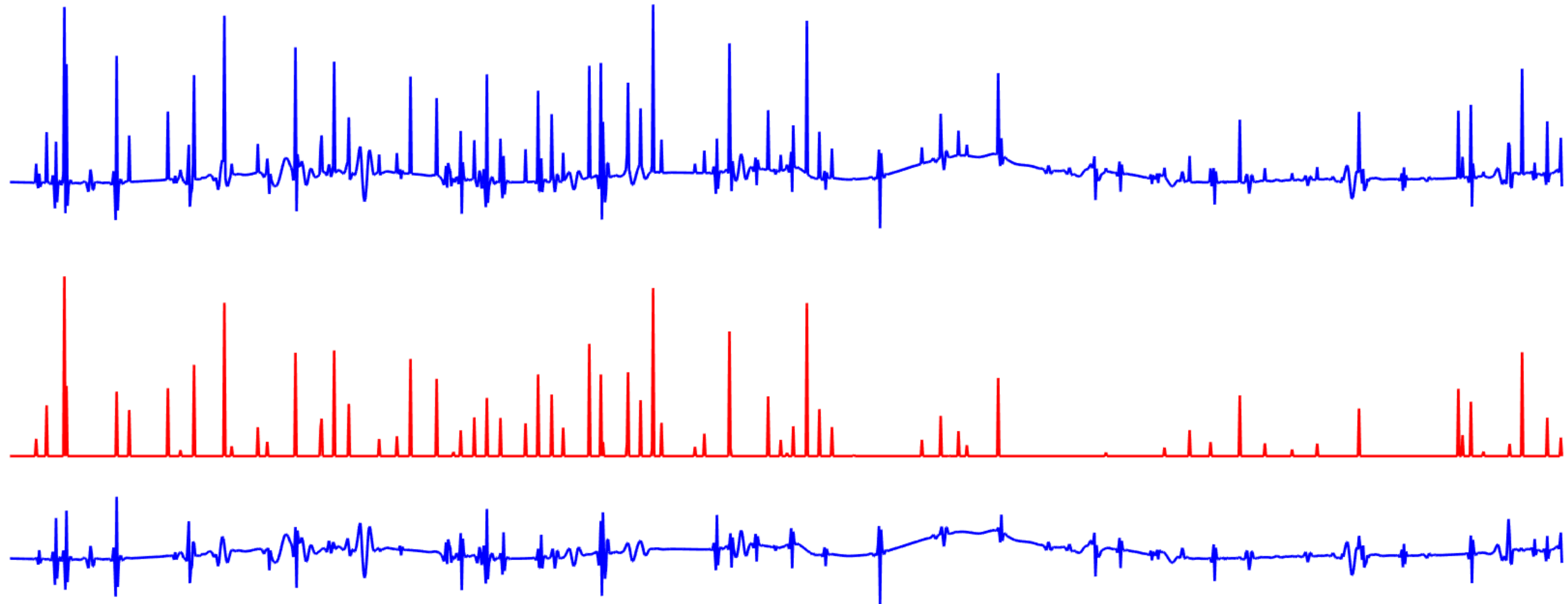
- Threshold
  - Need measurement accuracy of TSD  $\sigma$
  - Upper limit  $T = \sigma \sqrt{2 \log(n)} \approx 4\sigma$  (universal threshold)
  - Optimal: minimize Stein's Unbiased Risk Estimate (SURE)
    - Can go lower than  $4\sigma$  depending on number of weak joints
    - Best fit



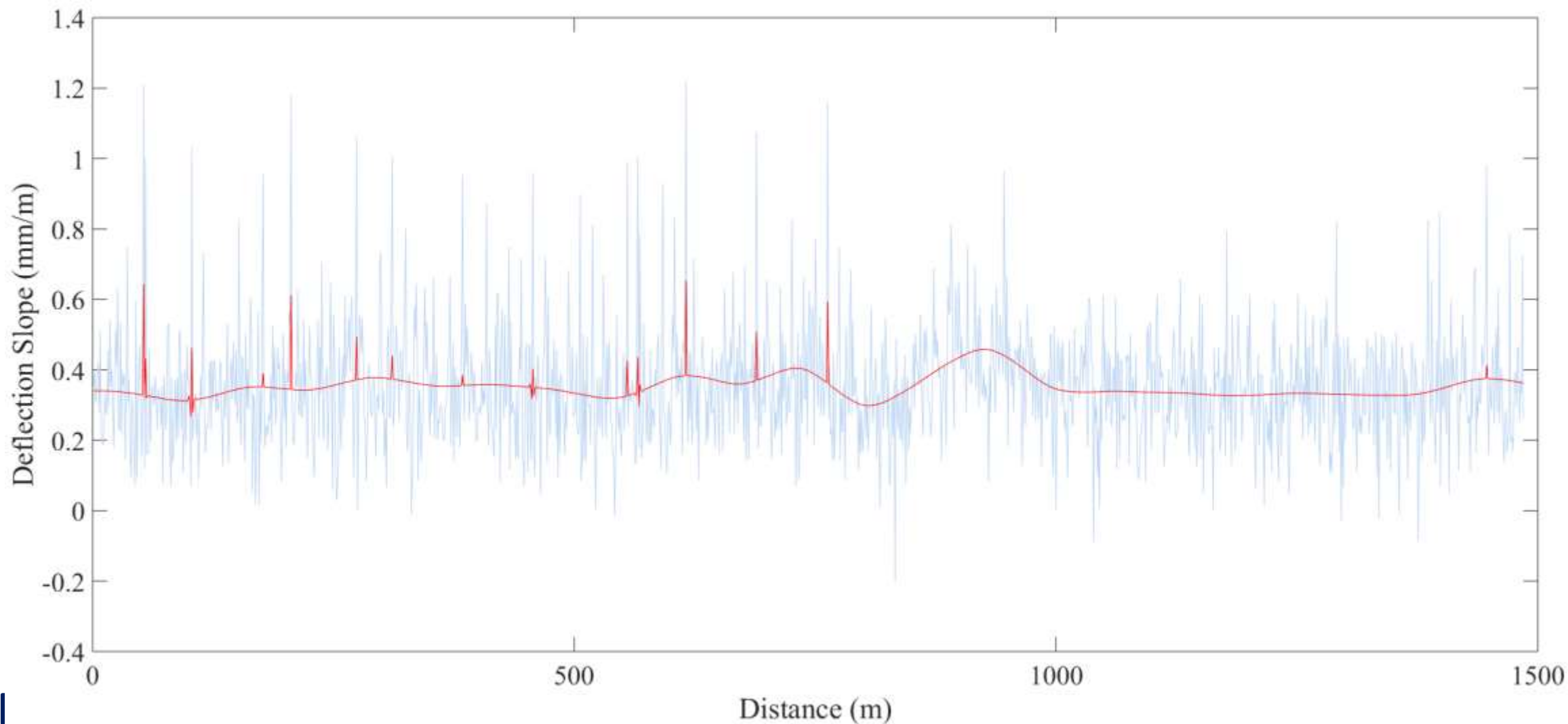
# Results – Best Fit with SURE



# Results – Detected Joints

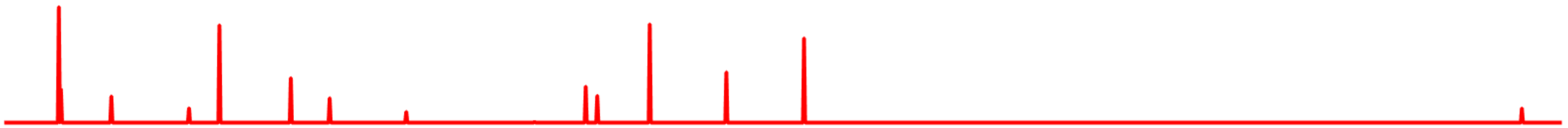


# Results – Universal Threshold



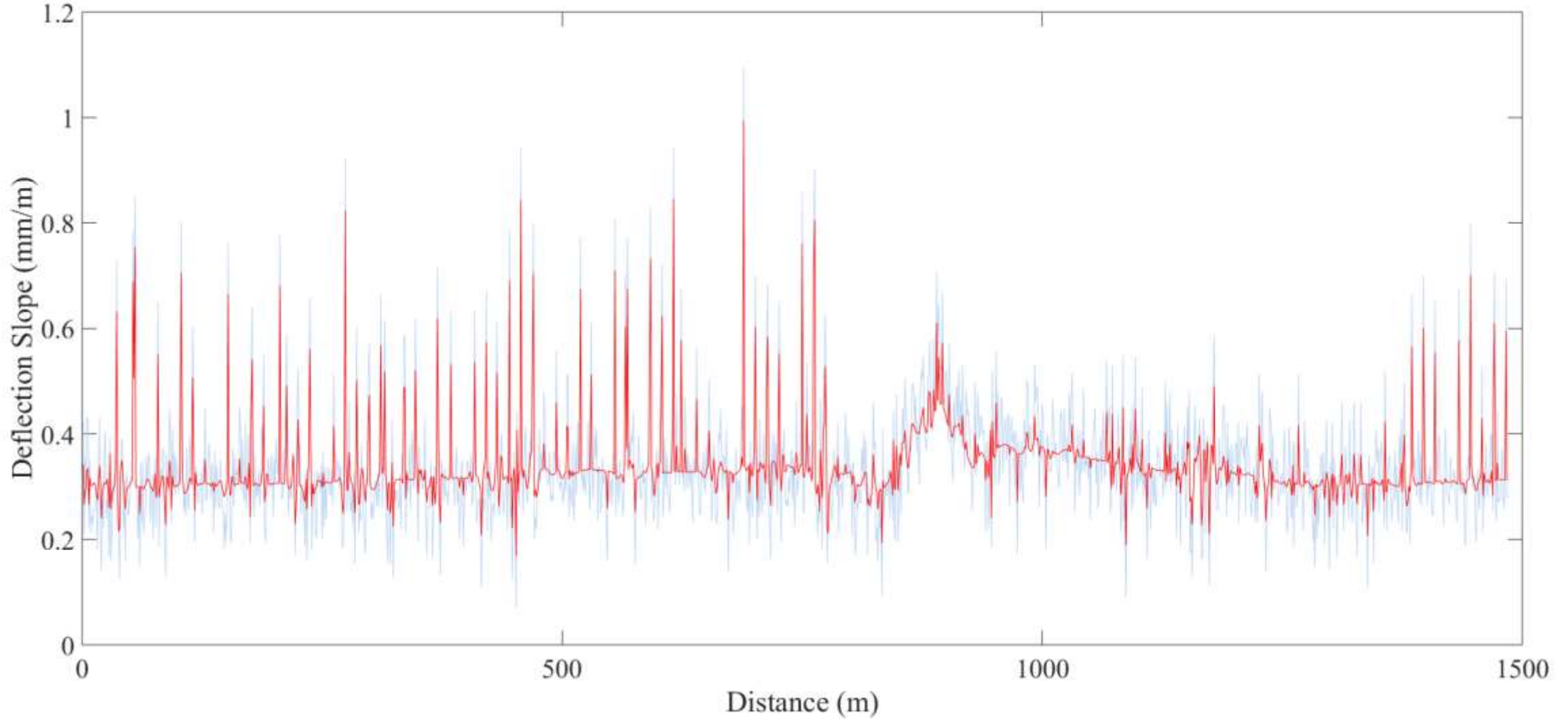


# Results – Detected Joints

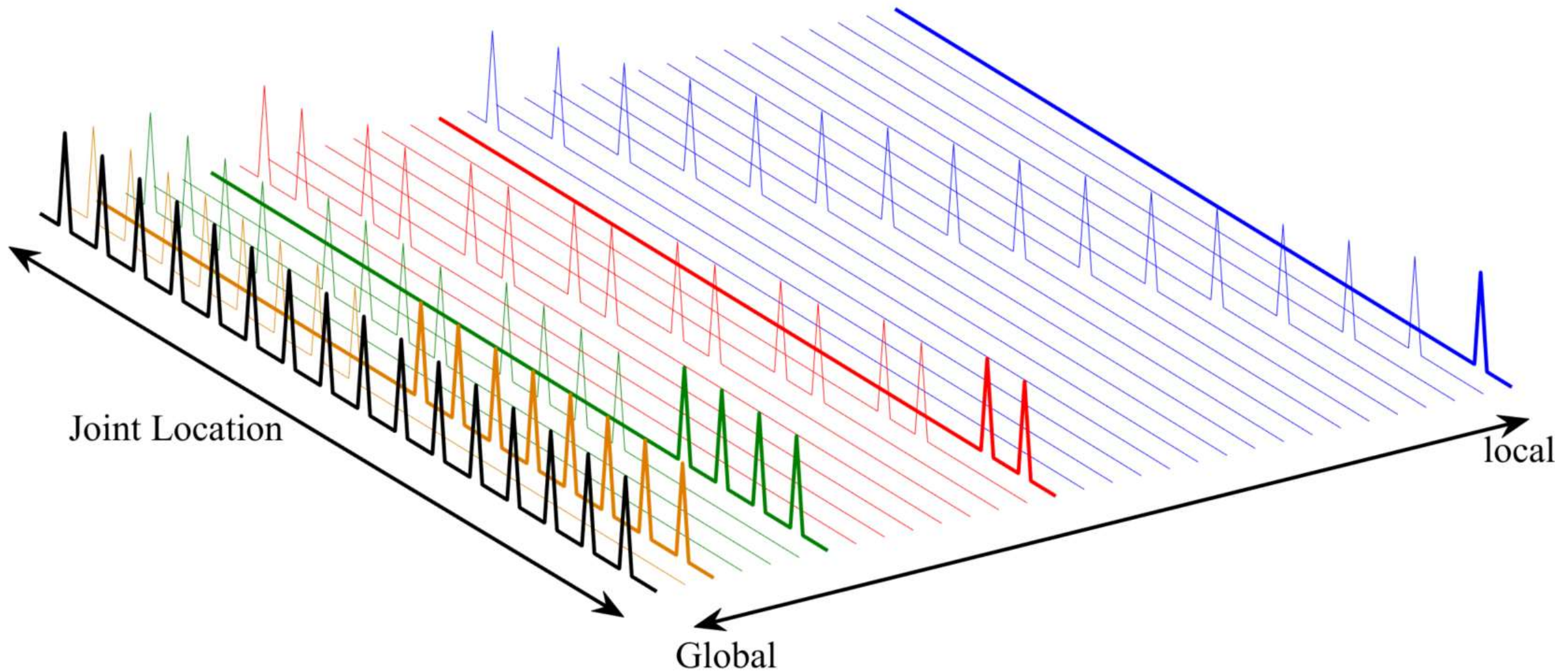


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# Results – Repeated Measurements



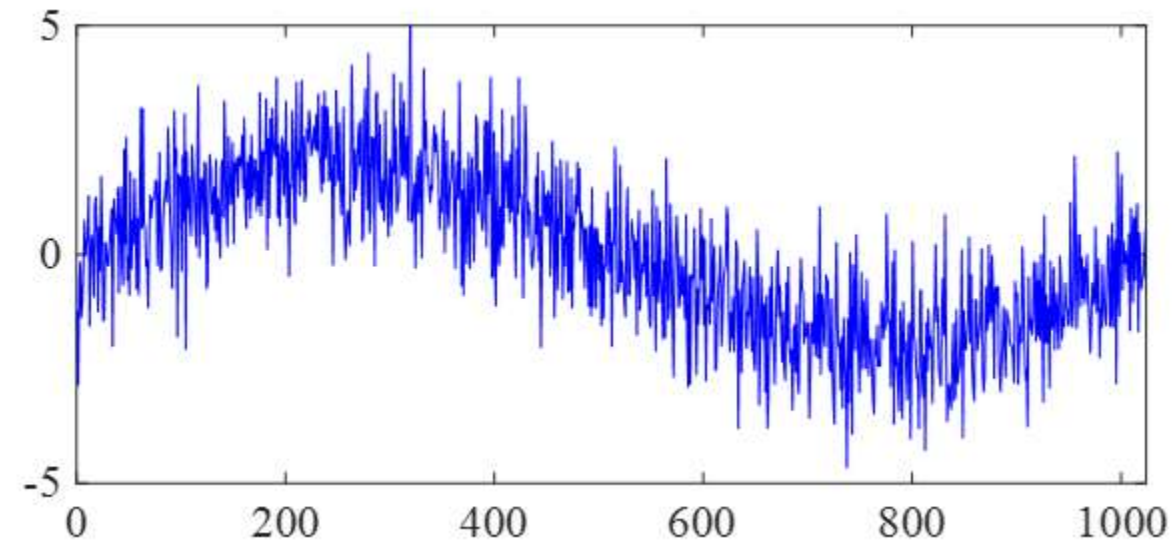
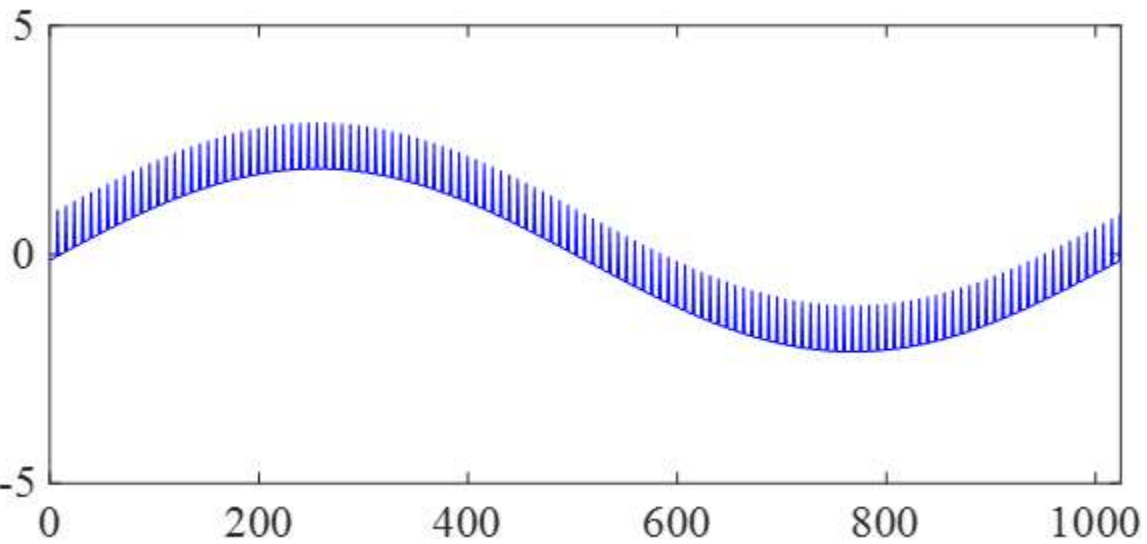
# Multiresolution – Weak Joints Grouping



# Multiresolution – Benefits

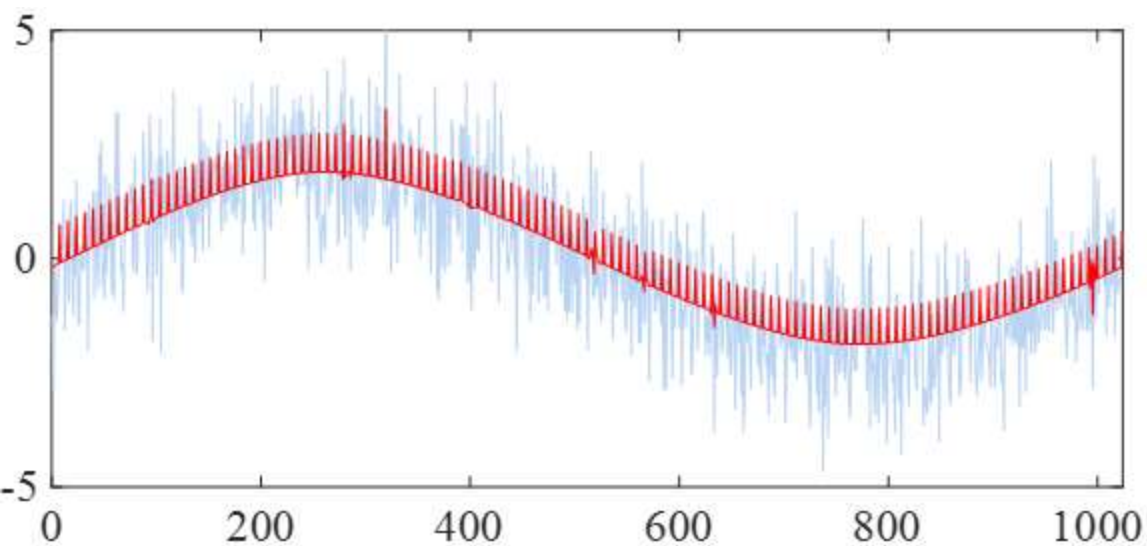
- Why?
- Detection depends on the number of weak joints in the group
  - $\sigma\sqrt{2\log(n)} \approx 4\sigma$  order of detection limit for individual joints
  - If we have k joints in a group
    - $\sigma\sqrt{\frac{2\log(n)}{k}}$

# Multiresolution – Example

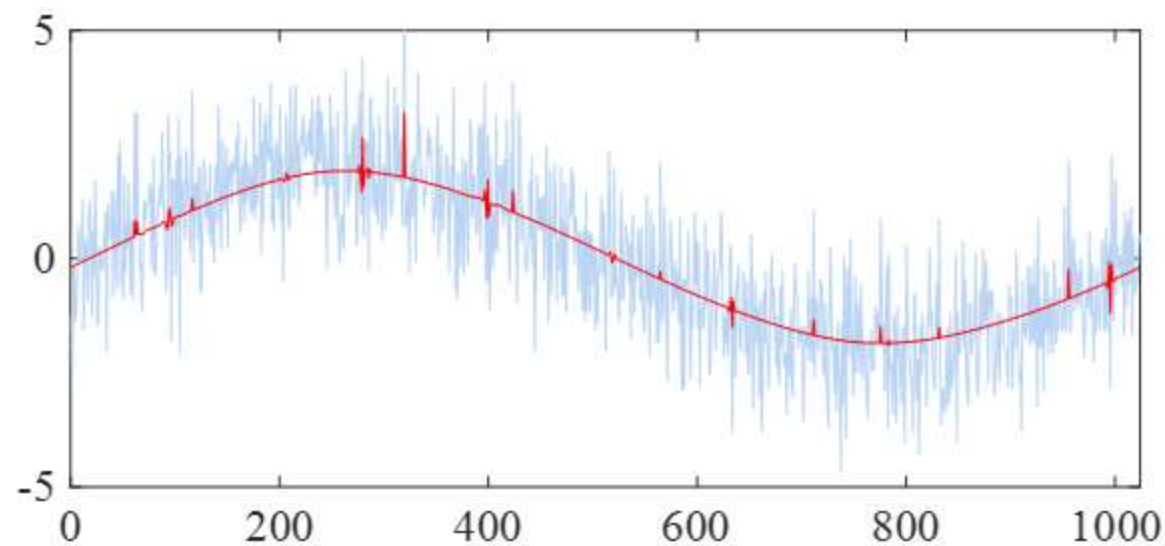


# Multiresolution – Example Solution

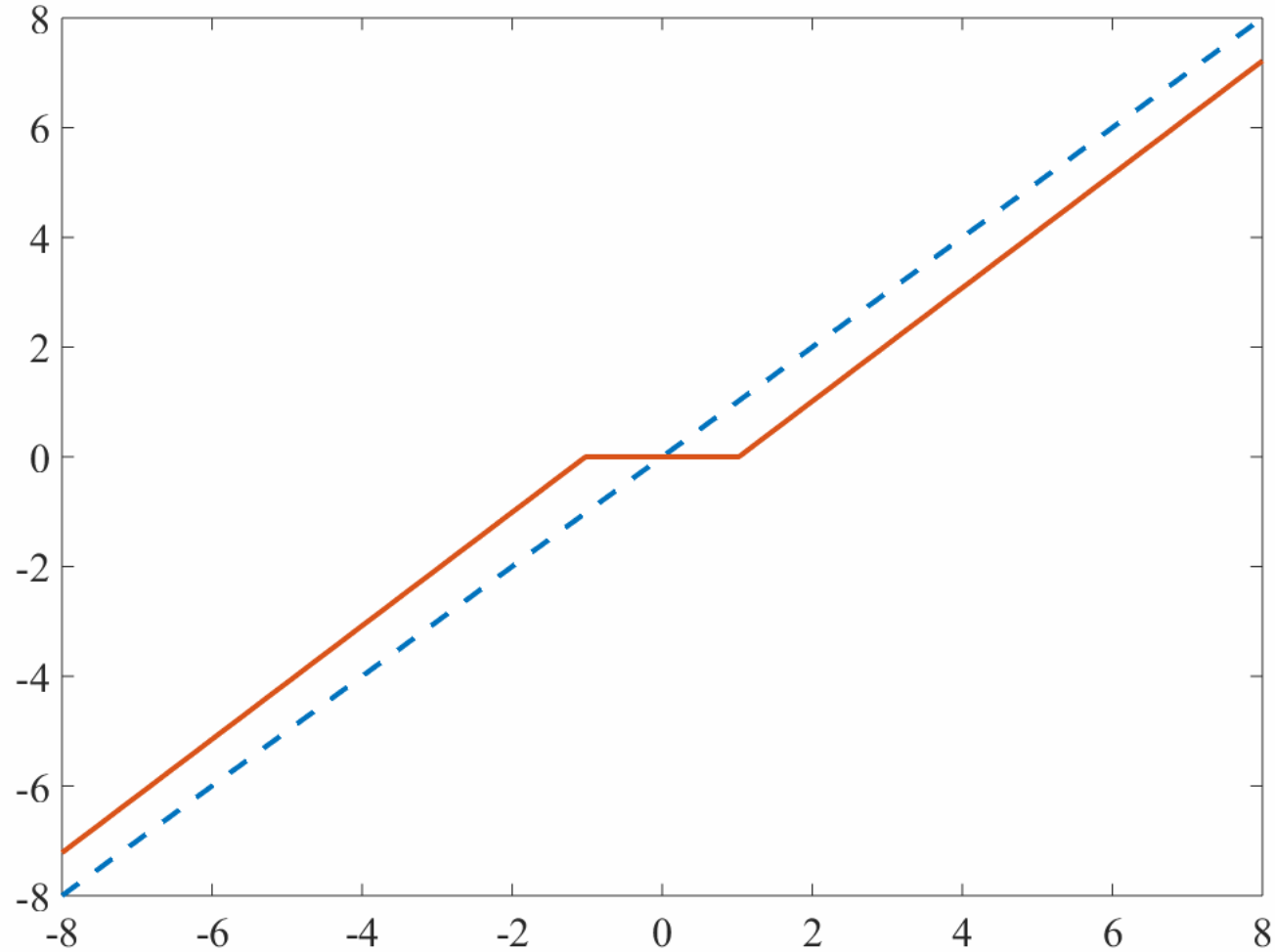
Multiresolution



No multiresolution



# SparseNet



# SparseNet – Universal Threshold

